# On the System Silicon–Ytterbium:

**Constitution, Crystal Chemistry, and Physical Properties** 

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Phase equilibria in the silicon-rich part of the system Si-Yb (> 60 at.% Si) have been established from DTA, LOM, EMPA, and X-ray diffraction experiments on arc-melted and annealed bulk alloys as well as on single crystals grown from pure gallium or indium metal used as a flux solvent. Phase relations are characterized by the existence of a defect disilicide showing polymorphism. Yb<sub>3</sub>Si<sub>5</sub>, the low-temperature modification with Th<sub>3</sub>Pd<sub>5</sub> type, is a line compound at 62.5 at.% Si, stable below 947  $\pm$  7°C. Above this temperature Yb<sub>3</sub>Si<sub>5</sub> transforms into the YbSi<sub>2-x</sub> (defect AlB<sub>2</sub>-derivative type) corresponding to a peritectoid equilibrium at  $947 \pm 7^{\circ}$ C: YbSi<sub>2-x</sub> + YbSi  $\Leftrightarrow$  Yb<sub>3</sub>Si<sub>5</sub>. YbSi<sub>2-x</sub> exhibits a small homogeneity region from  $\sim 62.5$  at.% to ~ 63.5 at.% Si and melts incongruently at 1408  $\pm$  9°C at ~ 63 at.% Si. On cooling it decomposes according to a eutectoid reaction at  $763 \pm 7^{\circ}$ C: YbSi<sub>2-x</sub>  $\Leftrightarrow$  Yb<sub>3</sub>Si<sub>5</sub> + (Si). The silicon-rich part of the diagram is characterized by a eutectic equilibrium at 1135 + 7°C and ~ 81 at.% Si: L  $\Leftrightarrow$  YbSi<sub>2-x</sub> + (Si). From magnetic susceptibility and electrical resistivity measurements, performed on single-crystalline specimens, Yb<sub>3</sub>Si<sub>5</sub> was found to be an intermediate valent system. © 2002 Elsevier Science

*Key Words:* phase diagram of Si–Yb (>60 at.% Si); hightemperature modification of YbSi<sub>2-x</sub> with AlB<sub>2</sub>-derivative type; low-temperature modification of Yb<sub>3</sub>Si<sub>5</sub> with Th<sub>3</sub>Pd<sub>5</sub> type; intermediate valent system.

#### **INTRODUCTION**

Transition metal disilicides have gained some interest not only as electric contact materials in Si-wafer-based electronic devices, but even more so in optical fiber telecommunications because of sharply structured photoluminescence bands from rare earth intra-4*f*-shell transitions (1). Rare earth silicide films were found to form the lowest Schottky barriers on *n*-type silicon and Schottky contacts on *p*-type silicon, attractive features in the design of infrared detectors (2,3). Formation of silicides via a rare earth thin-film to substrate reaction may proceed from as low as  $300^{\circ}C(4)$ ; the kinetics and interface formation, however, are still poorly understood. Although many binary rare earth-silicon systems have been critically assessed (5) to provide the necessary phase diagram information, there is still a serious lack of information on the phase equilibria of the Si-Yb system (5). Part of this problem is certainly due to the rather low melting and boiling point of ytterbium metal ( $T_{\rm m} = 819^{\circ}$ C,  $T_{\rm b} = 1194^{\circ}$ C (5)), which makes controlled synthesis of single-phase ytterbium compounds generally difficult to accomplish via the usual high-frequency or arc-melting techniques. So far only four binary Si-Yb phases have been identified from cursory crystallographic inspections indicating complicated defect ordering of atom sublattices (see (5) and references therein). A recent single-crystal study of  $Yb_3Si_5$  (6) confirmed the  $Th_3Pd_5$  type earlier assigned by Iandelli et al. (7). Table 1 comprises a listing of all crystallographic data available in literature on the phases pertinent to the Si-Yb binary. From magnetic susceptibility measurements in the limited range, 90 < T < 1000 K, the two compounds richest in Si, YbSi<sub>1.8</sub> and Yb<sub>3</sub>Si<sub>5</sub>, were reported to be temperature-induced valence fluctuators (7). A photoemission study (8) confirmed a room-temperature valence of Yb<sup>2.6+</sup> in Yb<sub>3</sub>Si<sub>5</sub>. No details were given for the low-temperature region.

Based on the lack of comprehensive data, the present paper thus intends to provide the hitherto missing information on phase equilibria, crystallographic information, and the physical behavior of the compounds in the silicon-rich part of the Si–Yb constitution diagram. The detailed inspection of the constitution, crystal chemistry, and physical



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Phase	Pearson symbol	Space group	Structure type	Latt			
				а	b	С	Reference
Yb <sub>5</sub> Si <sub>3</sub>	hP16	P6 <sub>3</sub> /mcm	Mn <sub>5</sub> Si <sub>3</sub>	0.8215	_	0.6186	(5, 24)
YbSi	oC8	Cmcm	CrB	0.4178	1.031	0.3768	(5, 24)
Yb <sub>3</sub> Si <sub>5</sub>	hP8	$P\overline{6}2m$	Th <sub>3</sub> Pd <sub>5</sub>	0.6508	_	0.4092	(6)
				0.6512	_	0.4090	(7, 24)
YbSi <sub>2-x</sub>	hP3	P6/mmm	$AlB_2$	0.3771	_	0.4098	(24)
- "			-	0.3784	_	0.4098	(7, 24), 0.3 < x < 0.14

 TABLE 1

 Crystallographic Data for the Binary Compounds in the Si-Yb System (Literature)

properties of the compounds in the silicon-rich part of the system was achieved with single crystals. In a recent paper (9) we demonstrated the use of the Lebeau method (9, 10) for the growth of sizable single-crystal material, a technique successfully used in the past to produce transition metal borides as well as silicides from tin, copper, or aluminum flux (11, 12). When the use of Zn flux in the early stages of the project, however, prompted the formation of novel ternary silicides,  $YbZn_2Si_2$  and  $Yb(Zn_2Si_{2-x}(9))$ , we attempted to explore rather inert flux systems such as Ga or In.

#### **EXPERIMENTAL**

Bulk alloys, each with a total weight of 5 to 10 g, were synthesized by repeated argon arc-melting ingots of the elements of 99.9 mass% minimum purity on a water-cooled copper hearth and a tungsten electrode under Ti-gettered high-purity argon. All weight losses were attributed to evaporation of ytterbium. In most cases a 13Yb87Si master alloy was used instead of pure Si in order to significantly reduce evaporation losses.

Differential thermal analysis was performed on as-cast alloys at a heating rate of  $50^{\circ}$ C min<sup>-1</sup> under helium employing Sc<sub>2</sub>O<sub>3</sub> crucibles and a W/WRe20 thermocouple calibrated against the international temperature scale IPTS-91.

X-ray investigation was performed after homogenization of parts of the alloy buttons, which were vacuum-sealed in quartz capillaries and annealed at 700°C or 600°C, respectively, for up to 140 h prior to quenching in cold water.

Light optical microscopy (LOM) on selected alloys, which have been polished and etched by standard methods, and electron microprobe analyses (EMPA) based on wavelength-dispersive X-ray spectroscopy were used to examine phase equilibria and equilibrium compositions. For quantitative EMPA in a CAMEBAX system the sample compositions were evaluated comparing the X-ray intensities of the elements (YbL $\alpha$  and SiK $\alpha$ ) in the alloy with those of pure elemental standards after application of an iterative ZAF correction (acceleration voltage, 15 kV; counting time, 20 sec) (13). Single-line EMPA scans across the annealed alloys assured constant element profiles and thereby indicated alloy homogeneity and equilibrium condition.

Single-crystal material was obtained via the Lebeau method (10) essentially based on the temperature-dependent solubility of Yb and Si in the metal flux (Ga,In), which was contained in Al<sub>2</sub>O<sub>3</sub> crucibles vacuum-sealed within thickwalled quartz tubes. The materials used were 5 N gallium ingots from Alcan Electronics, CH, indium ingots, 99.9% pure, from Ögussa, A, 99.9% pure ingots of ytterbium from Auer Remy, D, which were reduced to filings under cyclohexane, and Si pieces, 99.99 mass%, from Alfa Ventron, D. A typical experiment started from room temperature with a heating rate of  $75^{\circ}$ C h<sup>-1</sup> up to 1050 to 1100°C with an intermediate hold at 200°C for 1 h slightly above the melting point of the flux. After a soaking period at the top temperature for up to 12 h, cooling to 600°C proceeded at a speed of  $25^{\circ}$ C h<sup>-1</sup>, after which the sample batches were kept at 600°C for 12 h prior to final quenching, when samples were simply removed from the hot furnace. Starting from various ratios (Yb + Si)/flux, the heating and cooling rates were sufficient to produce good-quality single-crystal specimens of the ytterbium silicides. Gallium- or indiumcontaining flux was usually removed in an ultrasonic bath of mercury at room temperature.

Crystal identification was performed for a series of crystal specimens using a 57.3-mm radius Gandolfi camera, which also served for determination of the unit cell dimensions. In some cases, precise lattice parameters and standard deviations were obtained by a least-squares refinement of room temperature Guinier-Huber X-ray (CuK $\alpha_1$ ) powder data from a set of crystals (optically selected under the microscope and powdered) employing an internal standard of 99.9999 mass% pure Ge ( $a_{Ge} = 0.5657906$  nm). Weissenberg photographs accomplished crystal quality control and inspection of crystal symmetry. Single-crystal X-ray intensity data for Yb<sub>3</sub>Si<sub>5</sub> were collected for a hemisphere of 211 images in a total exposure time of 71 min on a four-circle

Nonius Kappa diffractometer equipped with a CCD area detector employing graphite-monochromated MoK $\alpha$  radiation ( $\lambda = 0.071073$  nm). Orientation matrix and unit cell parameters were derived from the first 10 data frames using the program DENZO (14). Absorption correction was taken from the program SORTAV (14) ( $\mu = 47.1 \text{ mm}^{-1}$ ). The structure was refined with the aid of the SHELXS-97 program (15).

For some alloys quantitative refinement of the atom positions was based on the X-ray intensity data obtained from a flat specimen in a Siemens D5000 automatic powder diffractometer (CuK $\alpha$ ) or in a Guinier-Huber image plate recording system (CuK $\alpha_1$ ). Full-matrix-full-profile Rietveld refinements have been performed employing the FUL-LPROF program (16).

Magnetic measurements were performed in the temperature range 1.7–800 K in magnetic fields up to 5 T using a Quantum Design MPMS-5 SQUID magnetometer. For these studies a collection of single crystals freely placed in a sample holder was used.

Electrical resistivity was measured in the range 4.2–300 K employing a conventional dc four-point technique. In these measurements the specimens were needle-shaped single crystals with the electrical leads attached by silver epoxy paste.

#### **RESULTS AND DISCUSSION**

#### a. Crystal Structure of $Yb_3Si_5$ with the $Th_3Pd_5$ Type

In order to probe the potential of a suitable flux for the synthesis of Yb silicides, several batches with different flux systems (pure Zn, Ga, or pure In) were subject to elaborate temperature programs. It is interesting to note that pure Zn or Ga flux was less efficient to produce high-quality and sizable single-crystal material, whereas In flux reproducibly resulted in good quality and large single crystals of Yb<sub>3</sub>Si<sub>5</sub>. Dissolution of the flux led to residues of in most cases rather well shaped crystals ( > 0.25 mm). With respect to the strong tendency observed in defect rare earth disilicides for vacancy ordering in terms of various superstructure types (17, 18), a detailed inspection of vacancy ordering was performed in our X-ray data. However, Weissenberg photographs taken along [00.1] as well as the CCD reciprocal lattice representations for rotation axes [00.1] and [10.0] gave no indication of superstructures or deviation from a primitive hexagonal cell with  $a \sim 0.65$  and  $c \sim 0.41$  nm. The absence of systematic extinctions is compatible with the space group  $P\overline{6}2m$  ( $D_{3h}^3$ , No. 189) assigned in earlier investigations (6, 7). Starting from the atomic arrangements in the  $Th_3Pd_5$  type presented earlier (6, 7), structure refinement for Yb<sub>3</sub>Si<sub>5</sub> converged without difficulties to residual values as low as 0.026. Results of the structural refinements are given in Table 2 including various residual values, anisotropic thermal parameters, and interatomic distances. A listing of

 TABLE 2

 Structure Refinement" for X-Ray Single-Crystal Data of Yb<sub>3</sub>Si<sub>5</sub>

Parameter/compound	Yb <sub>3</sub> Si <sub>5</sub>					
Lattice parameters (nm) Space group, Z Structure type Density, $\rho_{X-ray}$ (Mg m <sup>-3</sup> ) Data collection; X-rays $2\Theta$ range (deg) Number of variables Reflections in refinement $R_I = \sum  I_o - I_c  / \sum I_o$ $R_c = \sum w  w_c - w_c ^2 / \sum w  w_c ^2 \mathbb{I}^{1/2}$	$a = 0.65152(2); c = 0.40911(2)$ $P\bar{6}2m, \text{ origin at } \bar{6}2m, Z = 1$ $Th_3Pd_5$ 7.28 Nonius Kappa CCD; MoK $\alpha_1$ 2.0 to 80.5 12 215 (214 > 2 $\sigma$ ) (meas. 3362) 0.026 (I > 2 $\sigma$ ); $R_I$ (all data) = 0.064					
$K_{w} = \sum w_{i}  y_{oi} - y_{ci}  / w_{i}  y_{oi}  ]$ Overall $R_{merge}$ Goodness of fit	0.065 1.12					
Atom parameters $U_{eq}(U_{iso}) \ 10^2 \ (nm^2)$ $U_{eq}(U_{iso}) \ 10^2 \ (nm^2)$	Yb in 3g (x = 0.64215(9), 0, $\frac{1}{2}$ ) 0.0058(2) <sup>b</sup> Si1 in 3f (x = 0.2673(8), 0, 0) 0.0088(7) <sup>b</sup>					
$U_{\rm eq}.(U_{\rm iso}) \ 10^2 \ ({\rm nm}^2)$	Si2 in $2c \left(\frac{1}{3}, \frac{2}{3}, 0\right)$ 0.0073(9) <sup>b</sup>					
Distances ( <i>nm</i> ) < 0.40000 nm; standard deviations < 0.00006 nm CN = 14	Yb	2Si2 2Si2 4Si1 2Si1 4Yb	0.29298 0.29300 0.29301 0.31875 0.36329			
CN = 10	Si1	1Si2 1Si2 4Yb 2Si1 2Yb	0.24154 0.24160 0.29301 0.30164 0.31875			
CN = 9	Si2	1Si1 1Si1 1Si1 2Yb 2Yb	0.24154 0.24158 0.24160 0.29298 0.29300			

<sup>*a*</sup> Crystal structure data were standardized using Program Typix (23). <sup>*b*</sup> Anisotropic displacement factors (10<sup>2</sup> nm<sup>2</sup>). Yb:  $U_{11} = 0.0064(2)$ ,  $U_{22} = 0.0043(2)$ ,  $U_{33} = 0.0060(3)$ ,  $U_{12} = U_{13}$ ,  $U_{23} = 0.0021(1)$ . Si1:  $U_{11} = 0.0113(1)$ ,  $U_{22} = 0.005(1)$ ,  $U_{33} = 0.006(1)$ ,  $U_{12} = U_{13}$ ,  $U_{23} = 0.0026(7)$ .

Si2:  $U_{11} = 0.008(1)$ ,  $U_{22} = 0.008(1)$ ,  $U_{33} = 0.007(1)$ ,  $U_{12} = U_{13}$ ,  $U_{23} = 0.0038(6)$ .

the intensity data may be obtained from the authors on request. There is fine agreement within the results obtained with the literature data presented, proving the fully ordered character of the defects in the AlB<sub>2</sub>-type parent Si layers consistent with the description in the Th<sub>3</sub>Pd<sub>5</sub> type. The crystallographic group-subgroup relationship among the structure types AlB<sub>2</sub> (Yb<sub>3</sub>Si<sub>5</sub>) to Th<sub>3</sub>Pd<sub>5</sub> was already discussed (6, 7) in combination with the results from a semi-empirical band structure calculation on the basis of an extended Hückel formalism (6).

Reaction	Composition phases (E	Temperature, °C		
$L + YbSi \Leftrightarrow YbSi_{2-x}$ $L \Leftrightarrow (Si) + YbSi_{2-x}$ $YbSi_{2-x} + YbSi \Leftrightarrow Yb_3Si_5$	$\sim 67 \\ 80.6 \\ \sim 62.5$	50 99.8 50	~ 63 63.5 62.5	$1408 \pm 9 \\ 1135 \pm 7 \\ 947 \pm 7$
$YbSi_{2-x} \Leftrightarrow (Si) + Yb_3Si_5$	~ 63	99.9	62.5	$763 \pm 5$

The X-ray pattern of the  $Th_3Pd_5$  type is well resolved also from powder Rietveld refinement of single-phase  $Yb_3Si_5$ samples prepared by arc-melting and subsequent annealing at 700°C. Furthermore the  $Th_3Pd_5$  structure was also well refined in the case of two-phase samples containing YbSi; however, X-ray profiles of samples containing free silicon were not consistent with the simple models of AlB<sub>2</sub> or/and  $Th_3Pd_5$  types. In silicon-rich as-cast samples we observed a number of weak reflections, which belong to neither the AlB<sub>2</sub> nor the  $Th_3Pd_5$  structure. The angular position of these reflections slightly varies from sample to sample, but these reflections are never observed in samples annealed at 600 or 700°C. On the other hand, in annealed samples we find reflections at the Bragg positions characteristic of the Th<sub>3</sub>Pd<sub>5</sub> structure, which on close examination reveal a double-peak feature. As a consequence, the crystal chemistry of ytterbium disilicide is certainly more complicated than reported (7): at high temperatures YbSi<sub>2-x</sub> exists as AlB<sub>2</sub>-derivative type structure(s) (labeled as AlB<sub>2</sub>-der.), while at low temperature Yb<sub>3</sub>Si<sub>5</sub> adopts simple Th<sub>3</sub>Pd<sub>5</sub> type in equilibrium with YbSi but Th<sub>3</sub>Pd<sub>5</sub>-derivative type structure(s) in equilibrium with Si (labeled as Th<sub>3</sub>Pd<sub>5</sub>-der.).

### b. The Constitution Diagram of Si-Yb for > 60 at.% Si

Table 3 and Fig. 1 present the isothermal reactions and the phase equilibria in the Si–Yb diagram (60–100 at.% Si) constructed on the basis of the X-ray, micrographic, EMPA, and DTA investigations.

The metallographic analysis of the as-cast alloys clearly shows the eutectic involving silicon and  $YbSi_{2-x}$  (Fig. 2). The location of the eutectic was established by electron microprobe large area scans (80–81 at.% Si) and DTA measurements (1135  $\pm$  7°C) of as-cast alloys containing free silicon. As we can see from Table 4, lattice parameters of  $YbSi_{2-x}$  in the as-cast state vary from sample to sample and this fact indicates a small homogeneity region for this phase.



FIG. 1. Partial phase diagram Si-Yb for 60 to 100 at.% Si.



**FIG. 2.** Micrograph of as-cast samples: (a) 13Yb87Si (in at.%). Dark large crystals are Si enclosed by bright seams of  $YbSi_{2-x}$  in eutectic matrix (Si) +  $YbSi_{2-x}$ . (b) 30Yb70Si (in at.%). Light crystals of  $YbSi_{2-x}$  in eutectic matrix (Si) +  $YbSi_{2-x}$ . Inset: EMPA scan of Yb content (in at.%) across grains of  $YbSi_{2-x}$ . The flat plateaus and the sharp edges in concentration confirm the absence of concentration gradients, i.e., the absence of homogeneity regions.

From the experimental data obtained we conclude that  $YbSi_{2-x}$  and  $Yb_3Si_5$  are polymorphs of the temperatureconcentration type; both silicides coexist in equilibrium with silicon. This fact contradicts the result of Iandelli *et al.* (5, 7), who reported that only  $YbSi_{2-x}$  with the AlB<sub>2</sub> type coexists in equilibrium with silicon. The temperatures of solid phase transformations involving  $YbSi_{2-x}$  and  $Yb_3Si_5$ were established by DTA (Table 4), revealing  $763 \pm 5^{\circ}C$  for the silicon-containing samples, and  $947 \pm 7^{\circ}C$  for singlephase  $Yb_3Si_5$  and samples richer in ytterbium. The temperature of  $763 \pm 5^{\circ}C$  corresponds to the eutectoid invariant equilibrium  $YbSi_{2-x} \Leftrightarrow Yb_3Si_5 + (Si)$ . The type of the transformation at  $947 \pm 7^{\circ}C$  is difficult to establish due to close temperature values of the solid phase transformation for single phase  $Yb_3Si_5$  and two-phase  $Yb_3Si_5 + YbSi$  alloys. Yb<sub>3</sub>Si<sub>5</sub> shows disordered crystal structure on the siliconrich side and has a rather narrow homogeneity region. It can be seen from DTA and EMPA data as well as from a comparison of unit cell dimensions of Si-rich and Si-poor Yb<sub>3</sub>Si<sub>5</sub> (Table 4). For the single-phase sample of Yb<sub>3</sub>Si<sub>5</sub> the temperature of the solid phase transformation (735°C) on cooling (invariant reaction YbSi + YbSi<sub>2-x</sub>  $\Leftrightarrow$  Yb<sub>3</sub>Si<sub>5</sub>) is much lower than that on heating (947°C). It seems that during DTA measurements in an open crucible under He gas the composition of this alloy was changed due to ytterbium evaporation for less than 0.7 at.% into the silicon-rich part and correspondingly the temperature of another solid phase transformation YbSi<sub>2-x</sub>  $\Leftrightarrow$  Yb<sub>3</sub>Si<sub>5</sub> + (Si) was measured on cooling.

The thermal arrests at  $1408 \pm 9^{\circ}$ C were determined for alloys containing less than 70 at.% Si. This temperature was attributed to a peritectic equilibrium L + YbSi  $\Leftrightarrow$  YbSi<sub>2-x</sub>. The composition of the liquid taking part in this equilibrium lies between 64 and 70 at.% Si (67 at.% Si is the accepted value). The maximal silicon content in YbSi<sub>2-x</sub> (63.5 at.% Si) was established by EMPA and agrees with the facts that we can see a small amount of eutectic on micrographs of the as-cast alloy Yb<sub>36</sub>Si<sub>64</sub> and the DTA curve shows a very weak thermal arrest at 1130°C corresponding to this eutectic. The value of 63.5 at.% Si is close to the formula YbSi<sub>1.8</sub> reported in (7) for the silicon-rich ytterbium silicide with AlB<sub>2</sub> type.

With respect to the phase equilibria established in Fig. 2a, the observation of nanosized YbSi precipitates after Yb ion implementation into Si(001) wafers and 10 min anneal at temperatures as high as  $1200^{\circ}$ C (1) can only be conceived as metastable phase formation, keeping in mind that for instance at  $1200^{\circ}$ C the only equilibrium phases are (Si) + liquid and below the eutectic at  $1135^{\circ}$ C are (Si) + YbSi<sub>2-x</sub>.

## c. Physical Properties of Yb<sub>3</sub>Si<sub>5</sub>

c.1. Magnetism. Figure 3 displays the magnetic susceptibility of single-crystalline Yb<sub>3</sub>Si<sub>5</sub>, measured up to 800 K in a field of 0.5 T. The magnetic susceptibility is small and weakly temperature dependent (except at low temperatures). The temperature variation of the susceptibility shows a broad shallow maximum around  $T [\chi(max)] =$ 100 K. Apparently no Curie–Weiss behavior is observed at ambient temperatures.

The overall shape of  $\chi(T)$  of Yb<sub>3</sub>Si<sub>5</sub> is reminiscent of an intermediate valence system. As there is only one crystallographic position for metal atoms, one could expect the occurrence of a noninteger valence of the ytterbium atoms, which changes with temperature. Accordingly, the experimental  $\chi(T)$  data can be checked with respect to the interconfiguration fluctuation model (ICF) of Sales and Wohlleben (19). In the scope of that approach the magnetic susceptibility of an ytterbium-based compound with a non

 TABLE 4

 Crystallographic, EMPA, and DTA Data for Selected Samples in the Binary Si–Yb System

	Heat treatment	Phase analysis	Space	Structure -					Thermal arests in DTA		
Nominal <sup>a</sup> Compos. in at.%Si					Lattice a	parameters b	s in nm	– EMPA in at.%Si	$T_{\text{heating}}, ^{\circ}\text{C}$	$T_{\text{cooling}}, ^{\circ}\text{C}$	Invariant reaction or phase boundary
(1		VI C	<u>n</u> 72	TL D1	0 (511(1)		0.4000(1)		0.45	015	<u>X1.0' X1.0' X1.0'</u>
61	As-cast	103515 VhC:	P62m Cmam	$\Pi_3 P \Pi_5$	0.0511(1) 0.4170(2)	1 0200(7)	0.4089(1)		945	915	$10Sl_{2-x} + 10Sl = 10_3Sl_5$
	400 h/	1051	Cmcm	CIB	0.4179(2)	1.0309(7)	0.57000(9)		1413		$L + I DSI = I DSI_{2-x}$
	400 II/ 700°C	Vh Si	$P\overline{6}\gamma_m$	Th Dd	0.65150(1)		0.40015(1)		1460	1440	I/I + VbSi
	700 C	103515 VhSi	r 02m Cmam		0.03130(1) 0.41802(2)	1 0212(1)	0.40913(1) 0.27622(2)		1400	1440	L/L + 1031
(25	As cost	Vh Si	Cmcm		0.41803(3)	1.0515(1)	0.37022(2) 0.40011(6)		047	725d	VhSi VhSi VhSi
02.5	AS-Cast 400 h/	103515		111 <sub>3</sub> FU <sub>5</sub>	0.03110(2)		0.40911(0)		947	135	$1031_{2-x} + 1031 = 10_331_5$
	400 II/ 700°C	Vb.Si.	P62m	Th. Pd.	0.65112(3)		0.40907(6)		1403	1330	$L \perp VbSi = VbSi$
	700 C	103515	1 0211	11131 05	0.05112(5)		0.40907(0)		1405	1430	$L + 105I = 105I_{2-x}$ L/L + YbSi
64.0	As-cast	YhSia		AlBa-der <sup>b</sup>	0.37823(6)		0 40985(7)	63.1	765	700	$YhSi_{2} = (Si) + Yh_{2}Si_{2}$
04.0	no case	(Si)	Fd3m	$C_{n}$	Traces		0.40903(7)	99.8	1135	1130	$L = (Si) + YbSi_2$
		(61)	1 4511	Cdiamond	114005			Eu:e 80.8	1410	1385	$L_e = (bi) + 1bbi_{2-x}$ L + YbSi = YbSi_2
	140 h/							<b>Lu</b> . 00.0	1110	1505	$\mathbf{L}$ + rost rost <sub>2-x</sub>
	700°C	Yb <sub>2</sub> Si5		Th <sub>2</sub> Pd <sub>4</sub> -der. <sup>c</sup>	0.65140(8)		0.40913(7)	62.8	1425	1460	Nonindexed
		(Si)	$Fd\overline{3}m$	Calinama	Traces			99.9	1460	1430	L/L + YbSi
66.0	As-cast	YbSi2-		AlB <sub>2</sub> -der.	0.37803(7)		0.4096(1)	63.5	760	715	$YbSi_{2-x} = (Si) + Yb_2Si_5$
		(Si)	$Fd\overline{3}m$	Cdiamond	Traces			99.8	1135	1130	$L_a = (Si) + YbSi_{2-x}$
		()		- diamond				Eu: 79.8	1400	1375	$L + YbSi = YbSi_{2-x}$
	140 h/										2
	700°Ć	Yb <sub>3</sub> Si <sub>5</sub>		Th <sub>3</sub> Pd <sub>5</sub> -der.	0.65139(7)		0.4091(1)	62.9	1435	1400	L/L + YbSi
		(Si)	$Fd\overline{3}m$	Cdiamond	0.5431(3)			99.9			,
70.0	As-cast	YbSi <sub>2-x</sub>		AlB <sub>2</sub> -der.	0.37786(2)		0.40978(5)	63.2	765	715	$YbSi_{2-x} = (Si) + Yb_3Si_5$
		(Si)	$Fd\overline{3}m$	C <sub>diamond</sub>	Traces			99.8	1135	1140	$L_e = (Si) + YbSi_{2-x}$
								Eu: 81.1	1370	1385	$L/L + YbSi_{2-x}$
87.0	As-cast	YbSi <sub>2-x</sub>		AlB <sub>2</sub> -der.	0.37707(9)		0.4095(1)	63.3	750	720	$YbSi_{2-x} = (Si) + Yb_3Si_5$
		(Si)	$Fd\overline{3}m$	C <sub>diamond</sub>	0.54297(4)			99.9	1120	1128	$L_e = (Si) + YbSi_{2-x}$
								Eu: 80.6	1270	1240	L/L + (Si)

<sup>a</sup> Nominal composition corrected for Yb losses during melting.

<sup>b</sup> Structure derived from AlB<sub>2</sub> type, subcell only.

<sup>c</sup> Structure derived from Th<sub>3</sub>Pd<sub>5</sub> type, subcell only.

<sup>*d*</sup> Arrest corresponds to the invariant reaction:  $YbSi_{2-x} \Leftrightarrow (Si) + Yb_3Si_5$ .

<sup>e</sup> Composition of eutectic.

magnetic  $4f^{14}$  ground state configuration and a magnetic  $4f^{13}$  excited state configuration is represented by

$$\chi_{\rm SW}(T) = \frac{N\mu_{\rm eff}^2 [1 - v(T)]}{3k_{\rm B}(T + T_{\rm sf})},$$

where  $\mu_{eff} = 4.54 \,\mu_{B}$ ,  $T_{sf}$  is a spin fluctuation temperature, and v(T) is a temperature-dependent mean occupation of the ground state given by

$$v(T) = \frac{1}{1 + 8 \exp[-E_{\rm ex}/k_{\rm B}(T + T_{\rm sf})]},$$

where  $E_{ex}$  is an energy gap between the ground and excited states.

In contrast to the ICF model which gives  $\chi(T) = \text{const}$ for  $T \to 0$ , the experimental  $\chi(T)$  curve presented in Fig. 3 shows a strong upturn at low temperatures. Although this behavior is different from that expected for intermediate



**FIG. 3.** Temperature dependence of the molar magnetic susceptibility of  $Yb_3Si_5$ . The solid lines are fits of the experimental data to the Sales-Wohlleben + Curie Weiss formula (see the text). Inset shows the field variation of the magnetization at 1.7 K with increasing (full circles) and decreasing (open circles) magnetic field.



**FIG. 4.** Temperature variation of the electrical resistivity of  $Yb_3Si_5$  along the *c*-axis. The solid lines mark a  $T^2$  dependence of the resistivity.

valence systems, it is usually observed in real intermediate valent materials and attributed to magnetic impurities. In the present case these could be uncompensated Yb<sup>3+</sup> ions on the crystal surface. Thus, in order to account for the presence of some small amount of uncompensated Yb<sup>+3</sup> ions it was assumed that their contribution to the measured susceptibility is of a Curie–Weiss type. Moreover, other possible contributions due to conduction–electron paramagnetism, core-electron diamagnetism, and/or Van Vleck paramagnetism have also been considered by introducing a third term  $\chi_0$ , independent of temperature. Thus, the experimental data were fitted to the following formula,

$$\chi(T) = \chi_{\rm SW}(T) + \frac{C_{\rm imp}}{T + \theta_{\rm imp}} + \chi_0,$$

and the solid line in Fig. 4 represents the result of the fitting procedure. The agreement between the calculated and experimental data is satisfactory in the whole temperature range. For Yb<sub>3</sub>Si<sub>5</sub> the fitting parameters are as follows:  $T_{\rm sf} = 177$  K,  $E_{\rm ex} = 561$  K,  $C_{\rm imp} = 0.023$  emu K/mole,  $\theta_{\rm imp} = 3$  K, and  $\chi_0 = -7.2 \times 10^{-4}$  emu/mole. If one assumes that the impurity contribution stems from stable Yb<sup>3+</sup> ions, their concentration ( $n = C_{imp}/C_{Yb^{3+}}$  where  $C_{Yb^{3+}} = \mu_{eff}^2/8$ ) is estimated as 0.9 at.% Yb<sup>3+</sup> ions per mole of Yb<sub>3</sub>Si<sub>5</sub>. Such small amounts of impurities are obviously far below the detection limit of X-ray diffraction but fully account for the magnetic behavior observed at low temperatures. The effective valence of the ytterbium atom is 2.3 at helium temperature and already 2.8 at 800 K. Such a strong increase in the effective valence comes from thermal population of the excited state, located relatively close in energy. Accordingly, also the spin fluctuation temperature in Yb<sub>3</sub>Si<sub>5</sub> is rather low. It is worth noting that the value of  $T_{\rm sf}$  derived above

within the ICF approach is consistent with the estimated  $T_{\rm sf}$  (20),

$$T_{\rm sf} = \frac{3}{2} T[\chi(\rm max)],$$

being about 150 K for Yb<sub>3</sub>Si<sub>5</sub>.

c.2. Electrical conductivity. Figure 4 shows the temperature dependence of the electrical resistivity of a single crystal of Yb<sub>3</sub>Si<sub>5</sub>, measured along the *c*-axis revealing metallic-like behavior with the room temperature resistivity of the order of 100  $\mu\Omega$  cm. The residual resistivity ratio  $RRR = \rho(290 \text{ K})/\rho(4.2 \text{ K})$  is about 53. Above ca. 50 K the resistivity  $\rho(T)$  shows a broad knee around 120 K and some tendency to saturation, reminiscent of spin fluctuations.

Below about 50 K the resistivity follows the equation

$$\rho(T) = \rho_0 + AT^2,$$

with the parameters  $\rho_0 = 2 \ \mu\Omega$  cm and  $A = 0.011 \ \mu\Omega$  cm/ K<sup>2</sup>. A  $T^2$  variation of the low-temperature resistivity is characteristic of a Fermi liquid (20) and thus the electrical properties of Yb<sub>3</sub>Si<sub>5</sub> seem to corroborate the intermediate valent character deduced from the magnetic data. Assuming that the universal relation  $A/\gamma^2 = 10^{-5} \ \mu\Omega$  cm (mole K/ mJ)<sup>2</sup> (21), between the coefficient A and the linear coefficient of the electronic specific heat, is fulfilled, one can estimate  $\gamma$  as being about 30 mJ/mole/K<sup>2</sup> for Yb<sub>3</sub>Si<sub>5</sub>. It is worth recalling that such moderately enhanced values of  $\gamma$  are characteristic of intermediate valence systems (20, 22).

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